Transport through chaos

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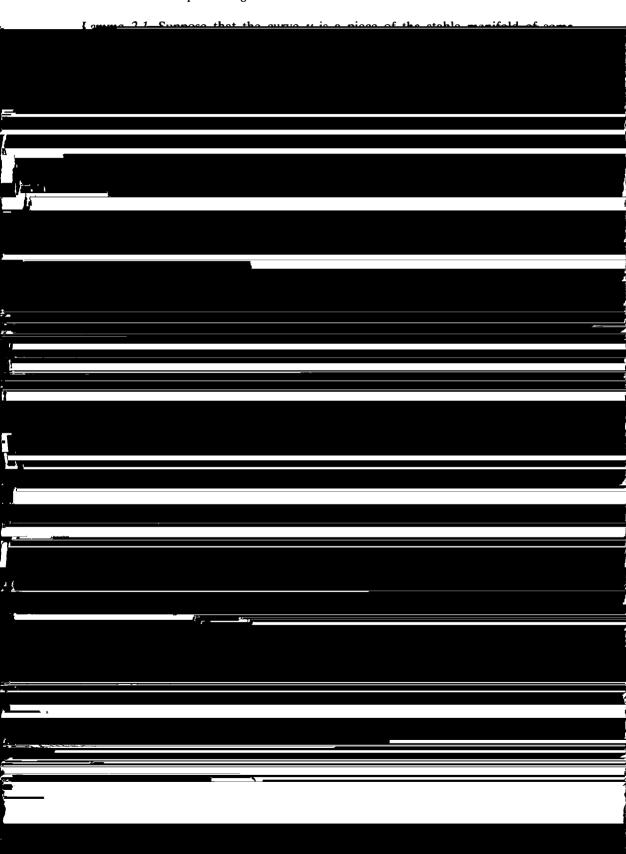
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Transport through chaos





Rearranging the sum gives

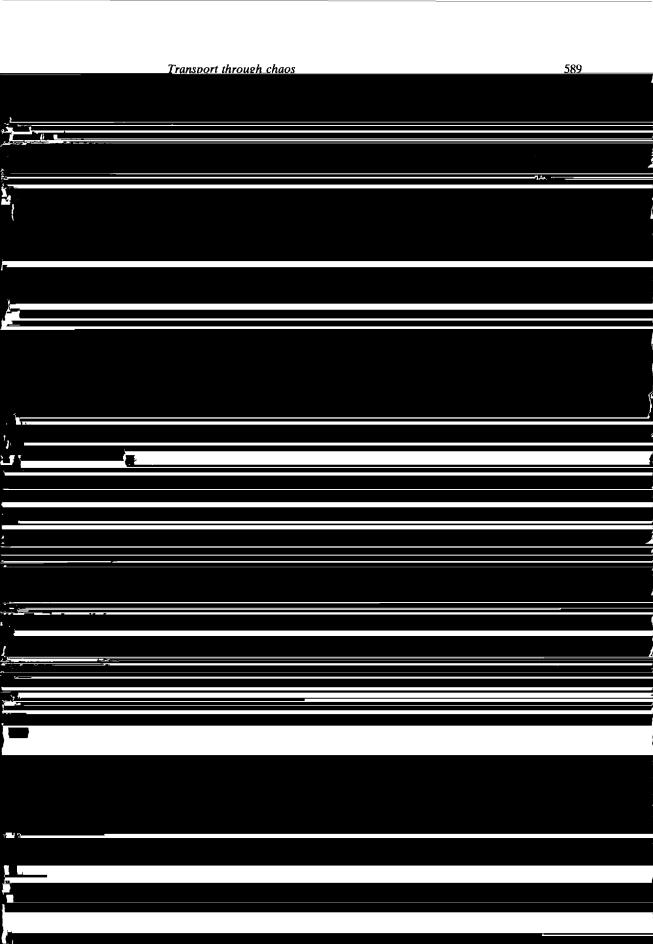
$$\int_{D} \mathrm{d}p \wedge \mathrm{d}q = \sum_{j=-\infty}^{\infty} \alpha^{j} [F(b_{j}) - F(a_{j})].$$

In general suppose that D is a disc bounded by alternating segments of stable and unstable manifold. Suppose that the endpoints of these segments are indexed a^0, a^1, \ldots, a^{2m} (with $a^{2m} = a_0$) in a counterclockwise order around the boundary of D. Suppose that the segment joining a^0 and a^1 is contained in a stable manifold. Then by the preceding argument

$$\int_{D} dp \wedge dq = \sum_{j=-\infty}^{\infty} \alpha^{j} \sum_{k=0}^{m-1} \left[F(a_{j}^{2k+1}) - F(a_{j}^{2k}) \right]. \tag{2.4}$$

This formule everygoe the Mackey Maiss Parsivel estion principle

Proposition. Discontinuity points of t^+ occur on R-stable manifolds. Similarly, discontinuity points of t^- occur on R-unstable manifolds. Hence the internal trellis of the resonance zone partitions the zone into its exit time decomposition.



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